

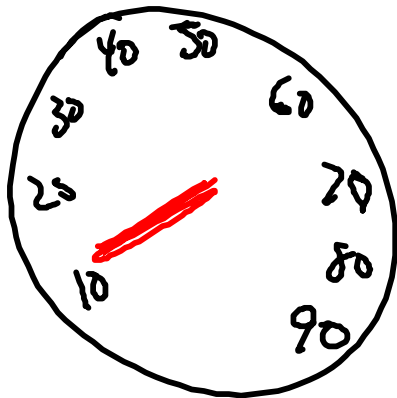
MOTION - CHANGING  
POSITION (LOCATION)

⊗ ENTIRE OBJECT  
MUST CHANGE  
LOCATION

SPEED IS RATE OF  
CHANGE IN POSITION  
(RATE OF MOTION)

$$\text{SPEED} = \frac{\text{DISTANCE TRAVELED}}{\text{TIME IT TAKES TO TRAVEL}}$$

SPEEDOMETER - MEASURES  
INSTANTANEOUS SPEED  
(SPEED YOU ARE AT RIGHT  
NOW)



CONSTANT SPEED

SPEED THAT DOESN'T  
CHANGE

CRUISE CONTROL  
ON A CAR.

## AVERAGE SPEED

TOTAL DISTANCE TRAVELED

DIVIDED BY

TOTAL TIME

$$S = \frac{d}{t}$$

$$\text{SPEED} = \frac{\text{DISTANCE}}{\text{TIME}}$$

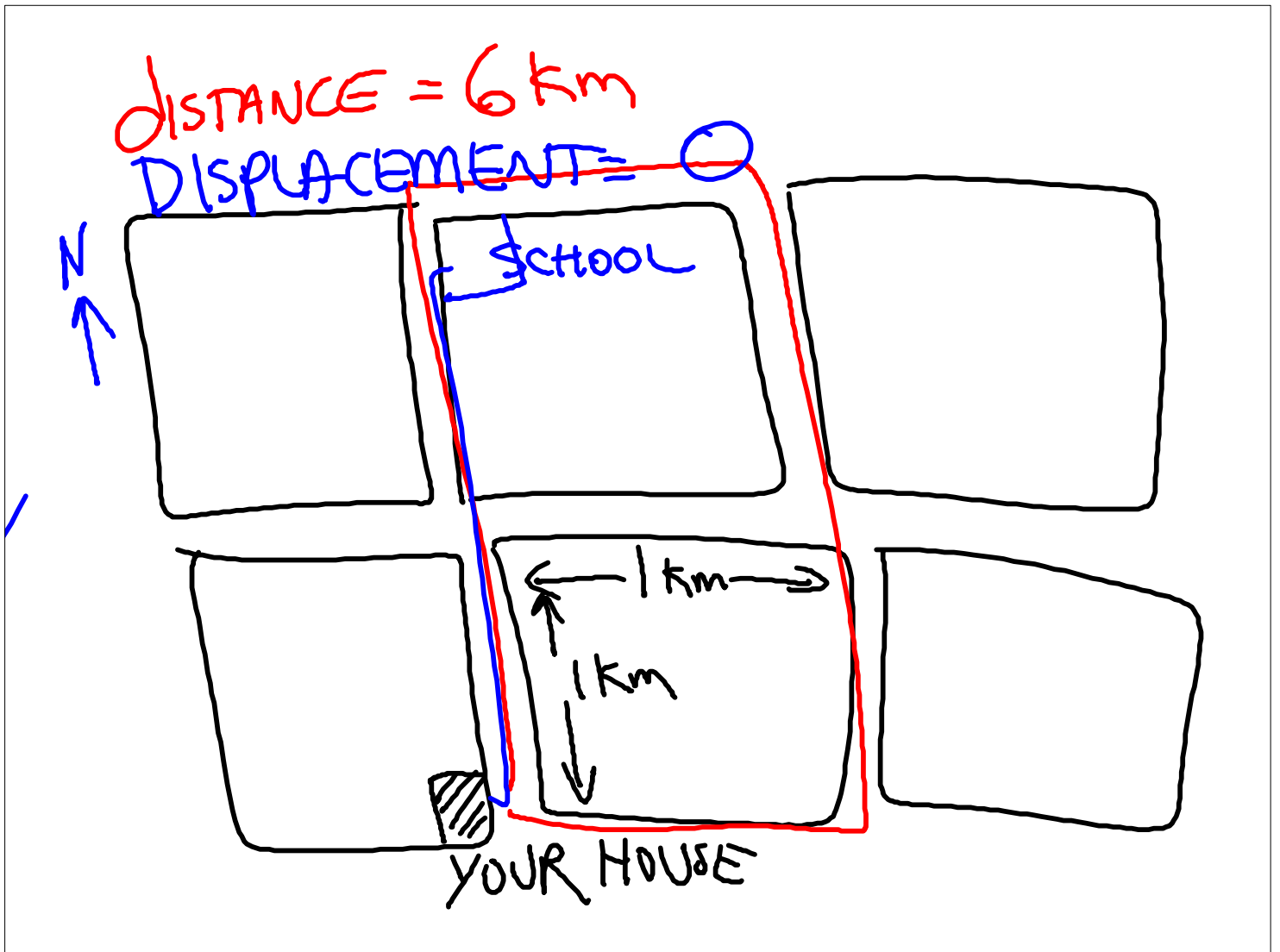
Aim: To describe speed as a rate.

$\times =$  Motion can be described as changing position. (LOCATION)

Speed is the rate of change of position.

DISTANCE - HOW FAR AN OBJECT  
MOVES

DISPLACEMENT - THE DISTANCE AND  
DIRECTION FROM ONE LOCATION  
TO ANOTHER





Instantaneous speed: The speed shown on a speedometer.

Constant speed: Speed that isn't changing.

Average speed: The total distance divided by the total time.

When speed varies a great deal.

$$S = \frac{d}{t}$$

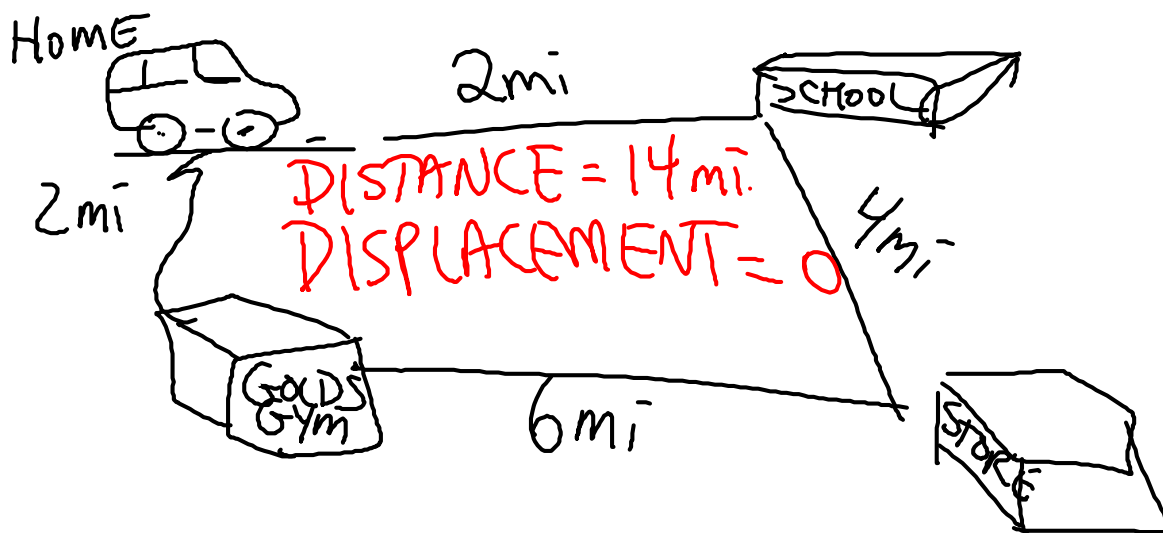
## Calculating speed

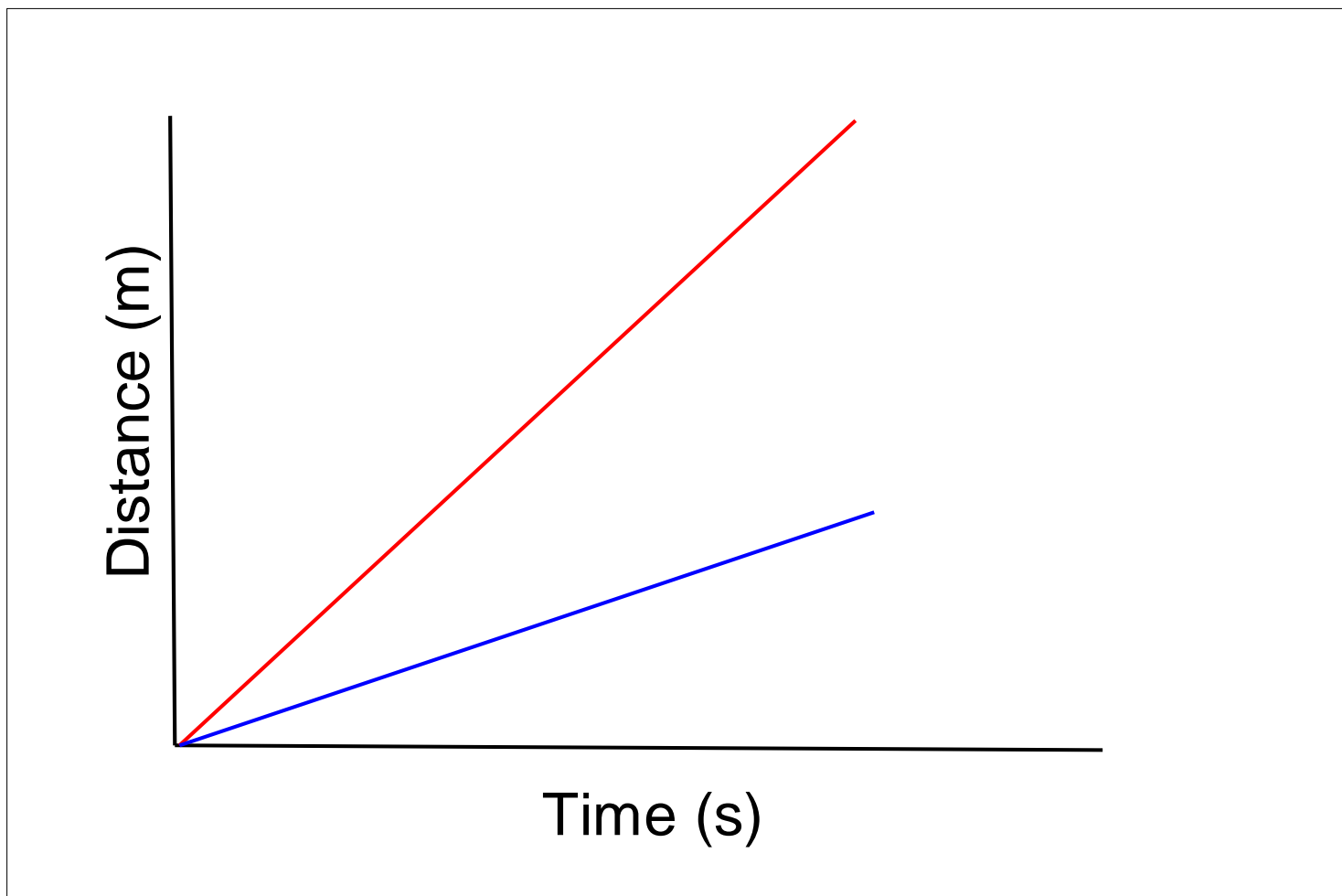
$$\text{AVE. SPEED} = \frac{\text{TOTAL DISTANCE}}{\text{TOTAL TIME}}$$

$$\text{AVE. SPEED} = \frac{10 \text{ miles}}{0.5 \text{ hr}}$$
$$= 20 \frac{\text{mi}}{\text{hr}}$$

$5 \overline{) 100}$   
20.  
50  
50  
00

Displacement: The total distance from the beginning to the end. Direction is important.





Aim: To describe speed as a rate.

Motion can be described as changing position. (LOCATION)

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**Instantaneous speed:** The speed shown on a speedometer.

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When speed varies a great deal.

GOOD FOR  
OBJECTS THAT  
CHANGE SPEED  
OFTEN

## Calculating speed

$$\text{AVE. SPEED} = \frac{\text{TOTAL DISTANCE}}{\text{TOTAL TIME}}$$

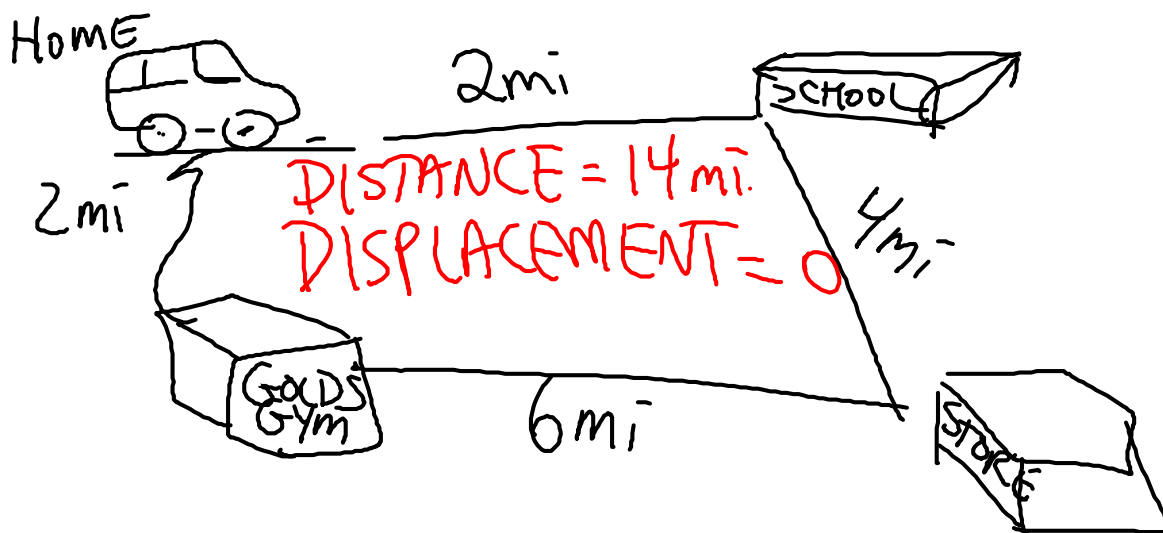
$$\text{AVE. SPEED} = \frac{10 \text{ miles}}{0.5 \text{ hr}} = 20 \frac{\text{mi}}{\text{hr}}$$

$S = \frac{d}{t}$

$5 \overline{) 100}$   
20.  
100  
—  
00



Displacement: The total distance from the beginning to the end. Direction is important.



VELOCITY: SPEED AND  
DIRECTION OF AN  
OBJECT.

EX.  $10 \frac{\text{m}}{\text{s}}$  EAST  
SPEED DIRECTION

FORMULA:  $V = \frac{d}{t} = S = \frac{d}{t}$

A car travels east on the LIE. If it travels 100m in 20 sec., what is its velocity?

$$\begin{aligned} d &= 100\text{m} \\ t &= 20\text{s} \\ V &= \frac{d}{t} = \frac{100\text{m}}{20\text{s}} = 5\frac{\text{m}}{\text{s}} \end{aligned}$$

$$V = ? \quad V = 5\frac{\text{m}}{\text{s}} \text{ EAST}$$

# HOW CAN VELOCITY CHANGE?

1. SPEED CAN CHANGE (FASTER SLOWER)
2. DIRECTION CAN CHANGE
3. CHANGE BOTH

ACCELERATION  
CHANGE VELOCITY?

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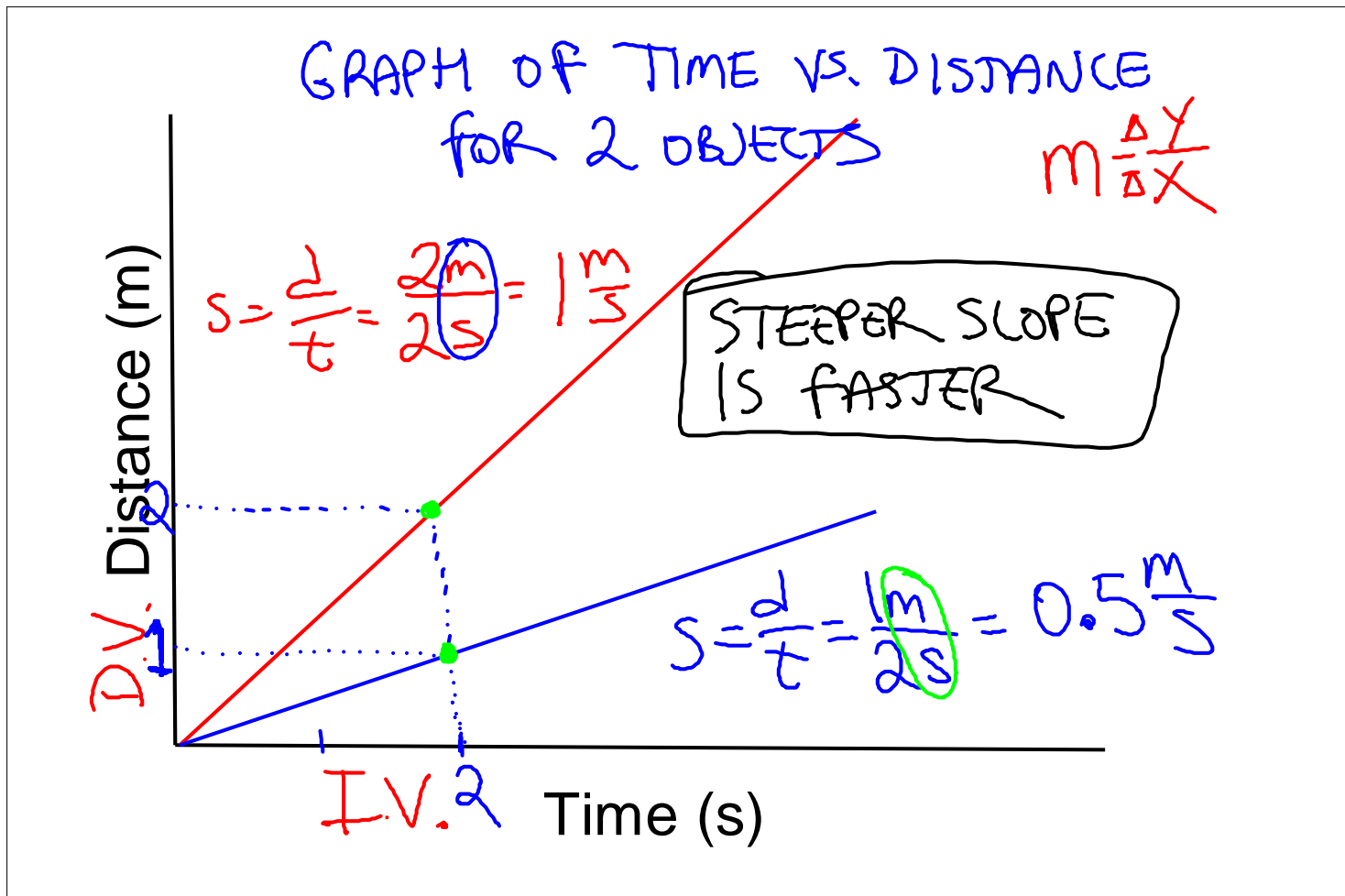
SLOW DOWN  
SPEED UP ) CHANGE  
SPEED

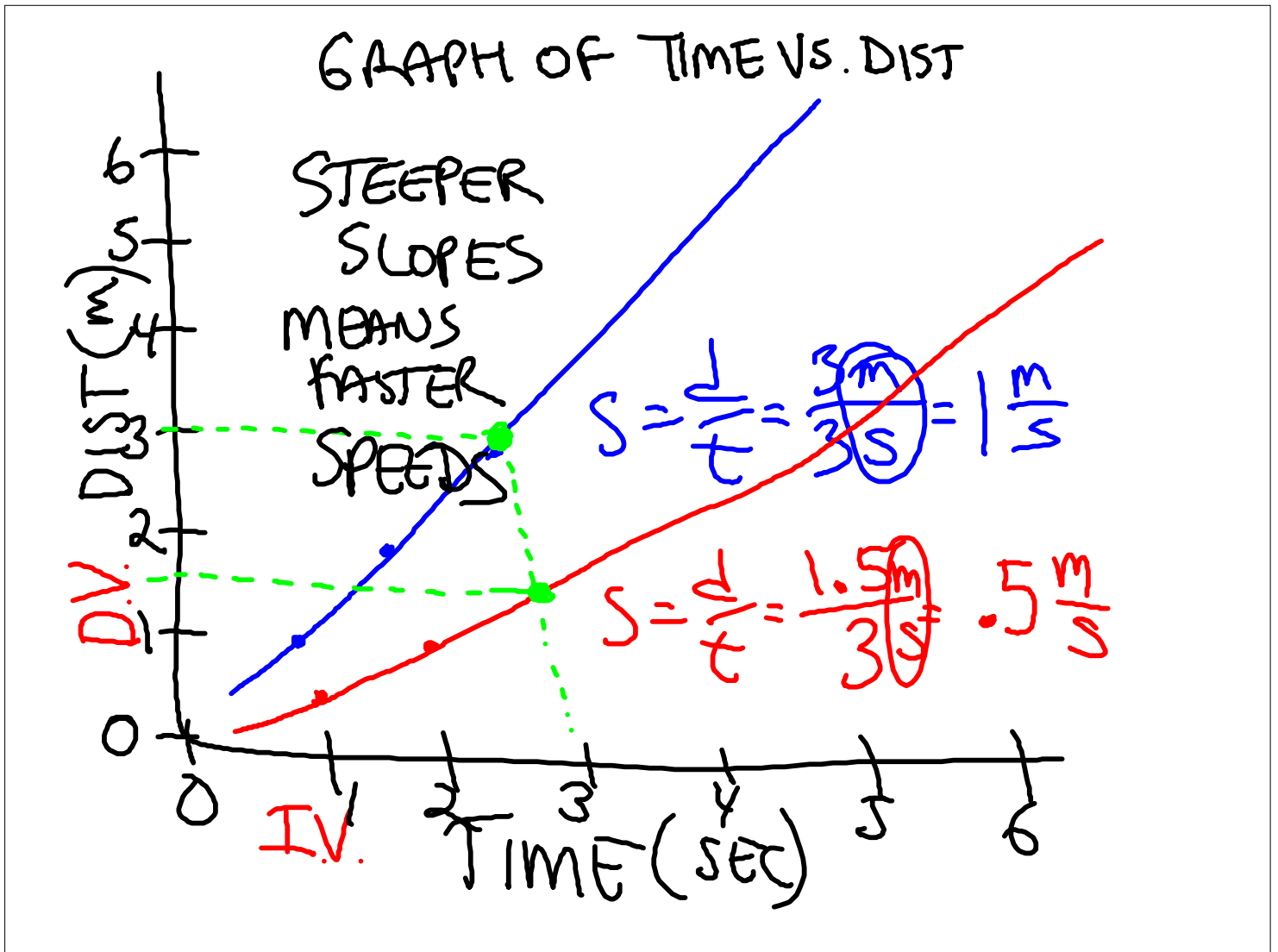
CHANGE DIRECTION

OR CHANGE BOTH

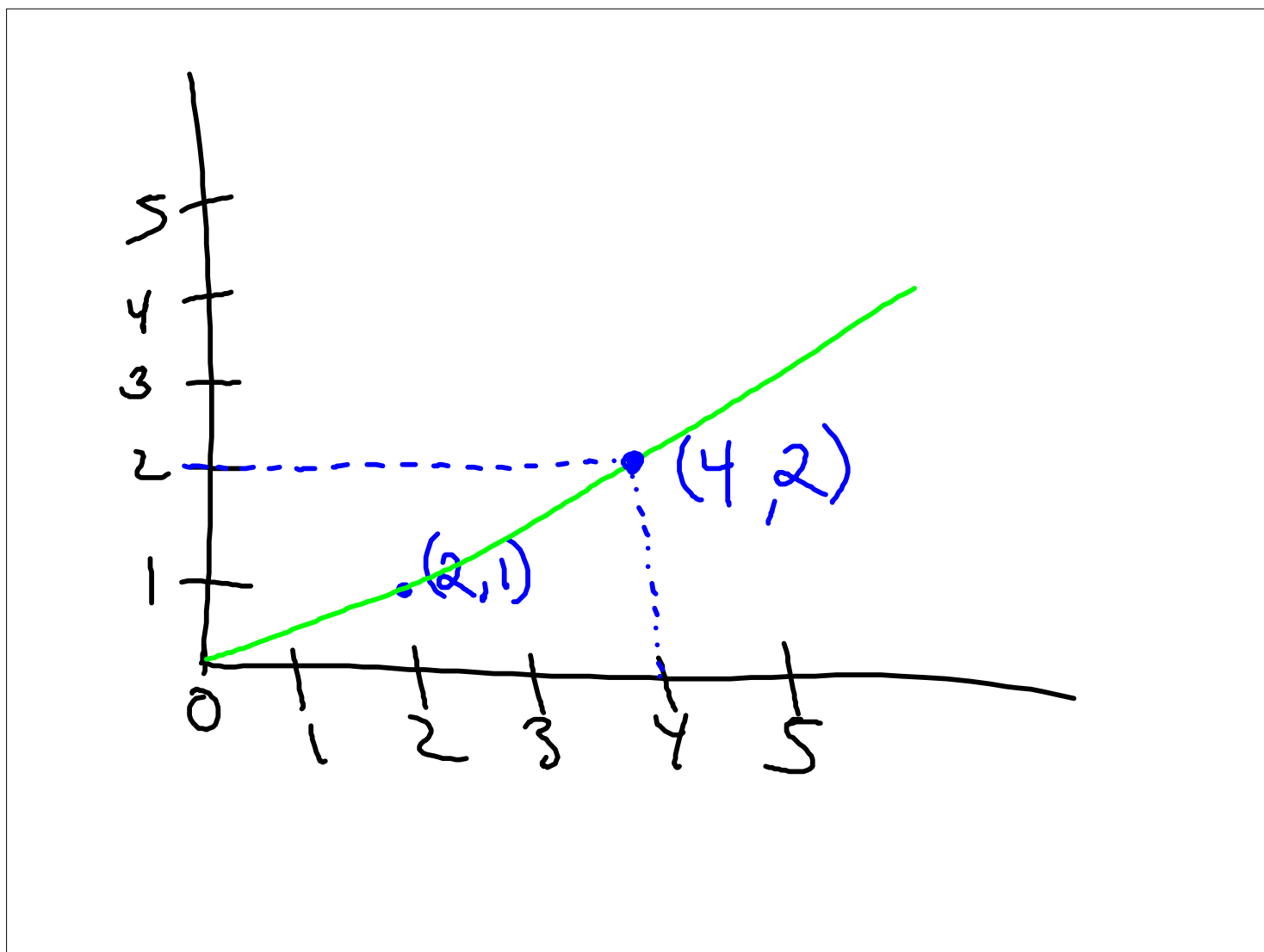
$$\text{Accel} = \frac{(\text{final Velocity} - \text{initial Velocity})}{\text{time}}$$

$$a = \frac{V_f - V_i}{t}$$









## FORCE AND MOTION

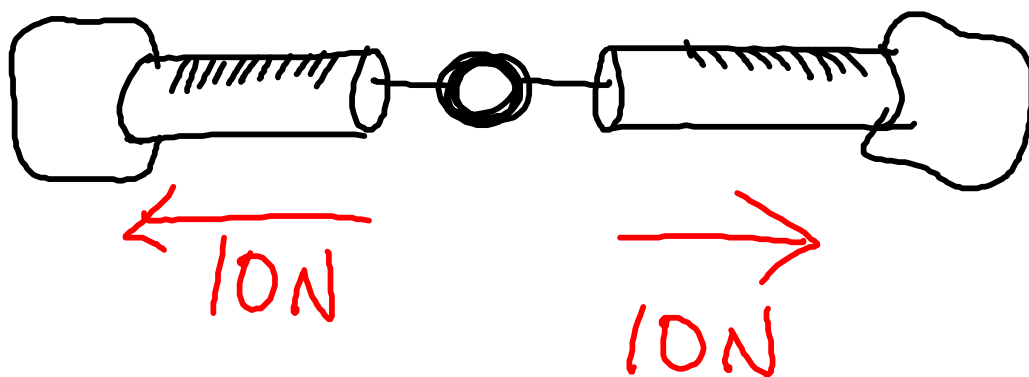
FORCE IS A PUSH OR A  
PULL. FORCE IS MEASURED  
IN NEWTONS

EX. 5 N TO THE RIGHT

FORCES ARE MEASURED  
WITH SPRING SCALES

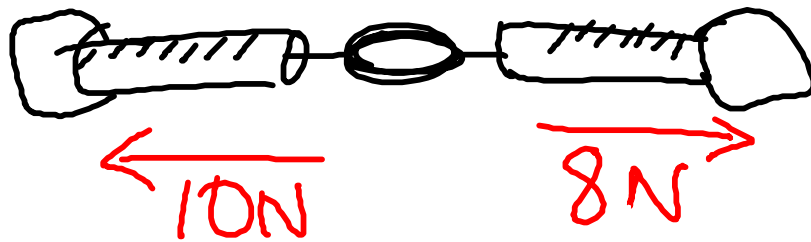
2 lbs IS ABOUT 10.0 N

BALANCED FORCES - EQUAL  
IN SIZE, OPPOSITE IN DIRECTION  
VELOCITY =  $0 \text{ m/s}$

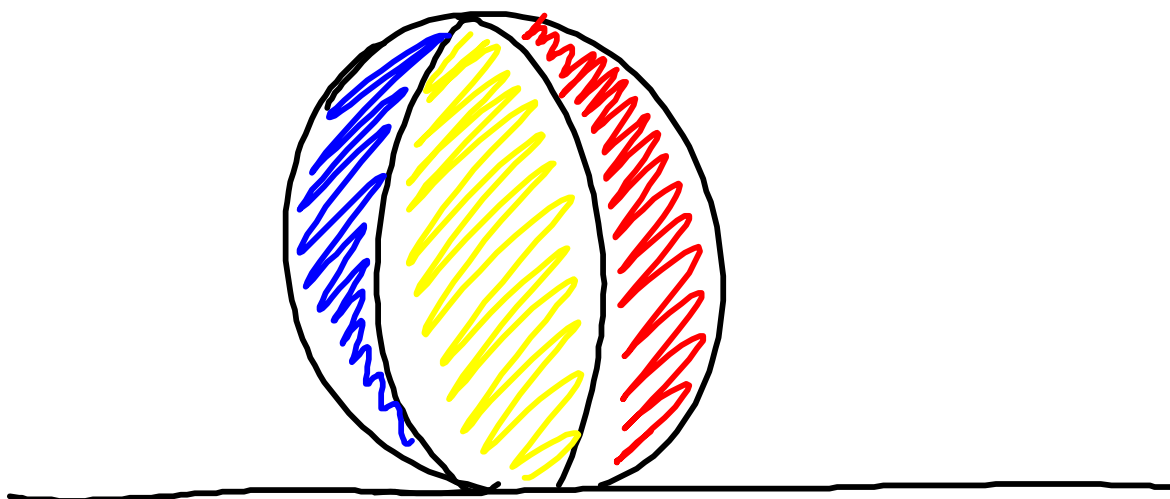


ACCELERATION =  $0 \frac{\text{m}}{\text{s}^2}$  (CONSTANT SPEED)

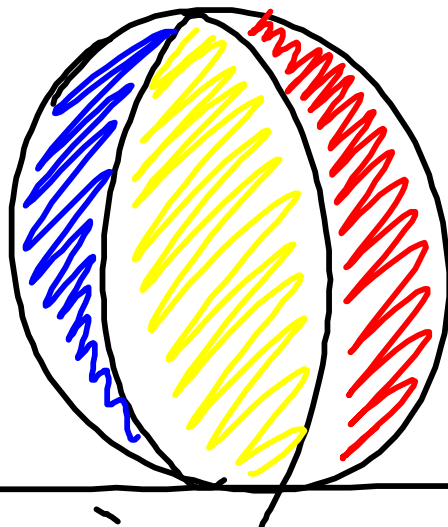
UNBALANCED FORCES CAUSE AN OBJECT TO ACCELERATE



STRING HAS VELOCITY AND ACCELERATION  
( $\leftarrow$  2N) NET FORCE (SUM OF FORCES)



FORCE CAUSES A CHANGE IN  
VELOCITY.



BALL DOESN'T CHANGE MOTION

INERTIA - TENDANCY OF AN OBJECT  
TO RESIST A CHANGE IN MOTION

INERTIA DEPENDS ON  
MASS.

MORE MASS MEANS  
MORE INERTIA



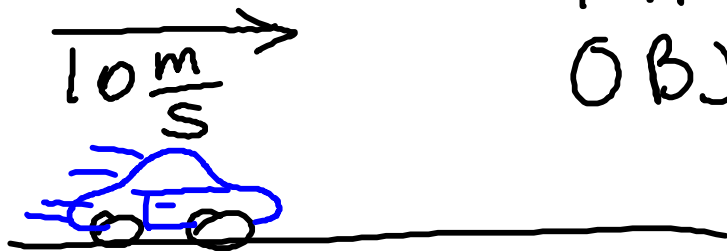
Tablecloth

Crash Test Old Car

Crash Test New Car

NEWTON'S FIRST LAW OF  
MOTION - OBJECTS AT REST  
REMAIN AT REST, OBJECTS IN  
MOTION REMAIN IN MOTION  
UNLESS ACTED ON BY A  
FORCE. LAW OF INERTIA

VELOCITY: THE SPEED AND  
DIRECTION OF AN  
OBJECT



FORMULA:

$$V = S = \frac{d}{t}$$

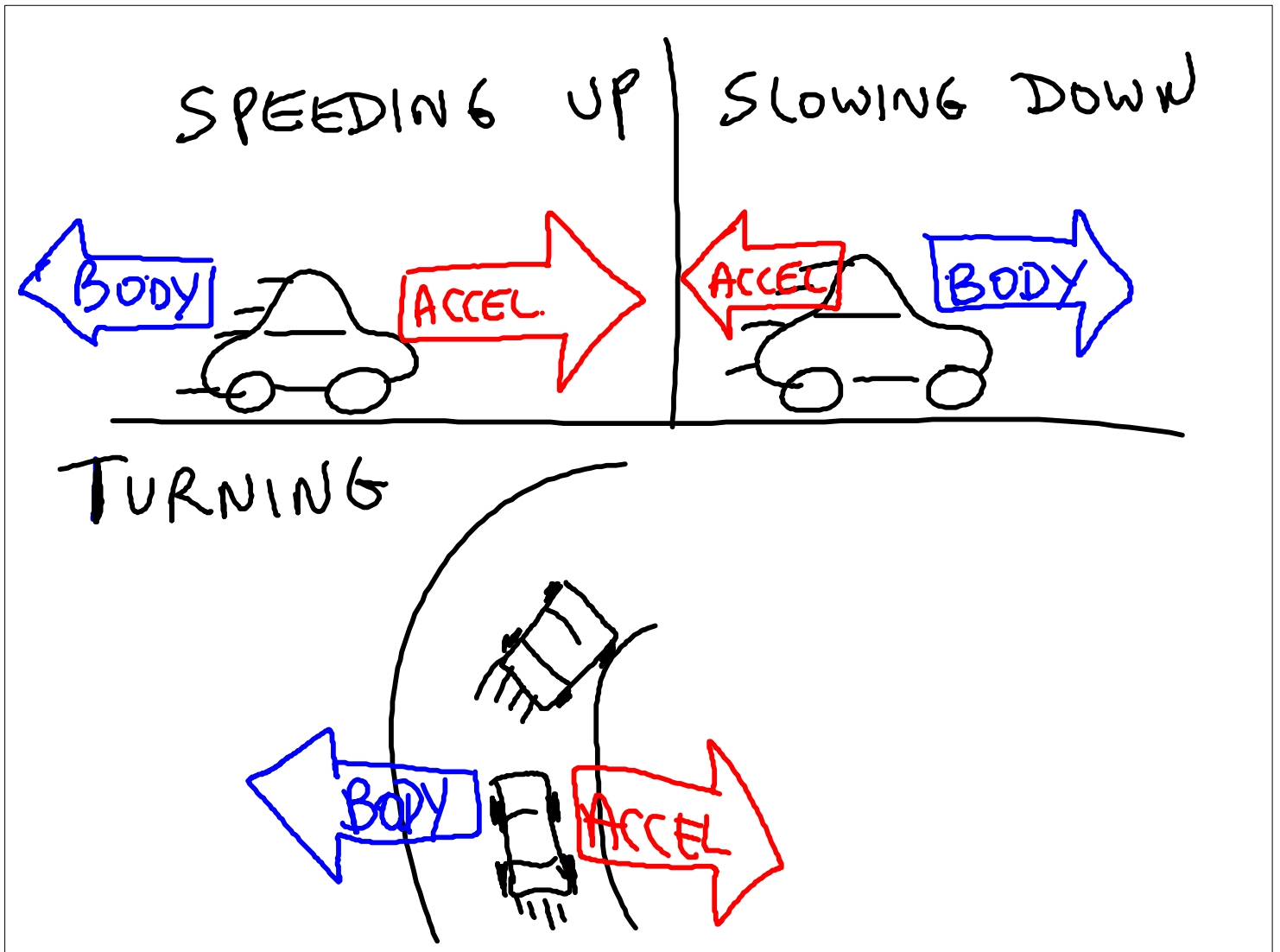
## CHANGING VELOCITY

ACCELERATION: A CHANGE IN THE VELOCITY OF AN OBJECT

- CHANGE SPEED
  - slow down
  - SPEED UP
- CHANGE DIRECTION - TURN
- CHANGE BOTH

YOUR BODY IS AN  
ACCELEROMETER-

"YOUR BODY WILL MOVE IN THE  
OPPOSITE DIRECTION OF THE  
ACCELERATION"



CALCULATE THE ACCELERATION OF A CAR THAT CHANGES ITS VELOCITY FROM  $5 \frac{m}{s}$  TO  $25 \frac{m}{s}$  IN 10 S.

$$a = \frac{V_f - V_i}{t}$$

CALCULATE THE ACCELERATION  
OF A CAR THAT CHANGES ITS  
VELOCITY FROM  $5 \frac{m}{s}$  TO  $25 \frac{m}{s}$   
IN 10 S.

$$(ACCELERATION) \rightarrow a = \frac{V_F - V_i}{t}$$

FINAL VELOCITY

INITIAL VELOCITY

(TIME)



CALCULATE THE ACCELERATION  
OF A CAR THAT CHANGES ITS  
VELOCITY FROM  $5 \frac{\text{m}}{\text{s}}$  TO  $25 \frac{\text{m}}{\text{s}}$   
IN  $10 \text{ s.}$

$$a = \frac{V_f - V_i}{t}$$

$$a = \frac{V_f - V_i}{t}$$

$$a = \frac{(25 \frac{m}{s}) - (5 \frac{m}{s})}{(10 s)}$$

$$a = \frac{V_f - V_i}{t}$$

$$a = \frac{(25 \frac{m}{s}) - (5 \frac{m}{s})}{(10 s)}$$

$$= \frac{20 \frac{m}{s}}{10 s}$$

$$= 2 \frac{m}{s^2}$$

$$a = \frac{V_F - V_i}{t}$$

$$a = \frac{25 \frac{\text{m}}{\text{s}} - 5 \frac{\text{m}}{\text{s}}}{10 \text{ s}}$$

$$a = \frac{20 \frac{\text{m}}{\text{s}}}{10 \text{ s}}$$

$$a = 2 \frac{\text{m}}{\text{s}^2}$$

## UNITS FOR ACCELERATION

$$\frac{\frac{m}{s}}{s} = \frac{m}{s} \div \frac{1}{s} = \frac{m}{s} \times \frac{1}{s} = \frac{m \cdot 1}{s \cdot s}$$

$$\frac{\frac{m}{s}}{s} = \frac{m}{s^2}$$

"METERS PER  
SECOND PER  
SECOND"  
=  
METERS PER  
SECOND SQUARED

A CAR SLOWS DOWN FROM  
 $20 \frac{m}{s}$  TO REST, IF IT TAKES  
5 SECONDS, CALCULATE ITS  
ACCELERATION.

A CAR SLOWS DOWN FROM  
20  $\frac{m}{s}$  TO REST, IF IT TAKES  
5 SECONDS, CALCULATE ITS  
ACCELERATION.

$$V_f = 0 \frac{m}{s} \quad t = 5s$$

$$V_i = 20 \frac{m}{s}$$

$$a = \frac{V_f - V_i}{t}$$

$$a = \frac{(0 \frac{\text{m}}{\text{s}}) - (20 \frac{\text{m}}{\text{s}})}{(5 \text{s})}$$

$$a = \frac{-20 \frac{\text{m}}{\text{s}}}{5 \text{s}} = -4 \frac{\text{m}}{\text{s}^2}$$